

## Qualitative and quantitative ultrashort echo time (UTE) imaging of cortical bone

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### ABSTRACT

We describe the use of two-dimensional ultrashort echo time (2D UTE) sequences with minimum TEs of 8  $\mu$ s to image and quantify cortical bone on a clinical 3T scanner. An adiabatic inversion pulse was used for long  $T_2$  water and fat signal suppression. Adiabatic inversion prepared UTE acquisitions with varying TEs were used for  $T_2^*$  measurement. Saturation recovery UTE acquisitions were used for  $T_1$  measurement. Bone water concentration was measured with the aid of an external reference phantom. UTE techniques were evaluated on cadaveric specimens and healthy volunteers. A signal-to-noise ratio of around 30, contrast-to-noise ratio of around 27/20 between bone and muscle/fat were achieved in tibia in vivo with a nominal voxel size of  $0.23 \times 0.23 \times 6.0$  mm<sup>3</sup> in a scan time of 5 min. A mean  $T_1$  of  $223 \pm 11$  ms and mean  $T_2^*$  of  $390 \pm 19$   $\mu$ s were found. Mean bone water concentrations of  $23.3 \pm 1.6\%$  with UTE and  $21.7 \pm 1.3\%$  with adiabatic inversion prepared UTE sequences were found in tibia in five normal volunteers. The results show that in vivo qualitative and quantitative evaluation of cortical bone is feasible with 2D UTE sequences.

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### 1. Introduction

Conventional magnetic resonance imaging (MRI) pulse sequences with echo times (TEs) of 1 ms or greater provide little or no detectable signal from cortical bone which has an extremely short  $T_2^*$  of around 300–500  $\mu$ s [1,2]. By using half-sinc radiofrequency (RF) pulses, or short hard pulses, radial or spiral mapping of k-space and other techniques, nominal TEs of less than 200  $\mu$ s can be achieved [1–7]. These two-dimensional (2D) and 3D ultrashort TE (UTE) sequences make it possible to detect signal from cortical bone and directly image and quantify  $T_1$ ,  $T_2^*$  and water concentration of this tissue.

Although bone signal is detectable with UTE sequences, positive visualization of bone for qualitative purposes is limited by the presence of high signals from long  $T_2$  water and fat. To reduce the signals from these tissues a typical approach is to use one or two saturation pulses (usually SINC or Gaussian pulses) followed by dephasing gradients [8–10]. However, both SINC and Gaussian pulses are sensitive to B1 inhomogeneity. As a consequence the residual long  $T_2$  water and especially fat signals may be similar to or even higher than those from cortical bone [11,12], thereby compromising bone contrast. An alternative is to use adiabatic pulses which are relatively insensitive to B1 inhomogeneity [13],

and have been employed for long  $T_2$  signal suppression using two UTE acquisitions: one with, and the other without adiabatic inversion recovery (IR) preparation [14]. Addition of the two UTE data sets can then be used to selectively suppress long  $T_2$  signals. However, a scaling factor is needed to compensate for  $T_1$  effects and ensure that the inverted long  $T_2$  magnetization approximates the noninverted magnetization in order to achieve complete long  $T_2$  signal cancellation. This procedure is complicated further if there are multiple long  $T_2$  species with different  $T_1$  components.

There are also significant problems in quantitative evaluation of cortical bone using UTE sequences. 3D UTE sequences are time consuming and thus problematic for  $T_1$  and  $T_2^*$  quantification in vivo. 2D UTE sequences are subject to eddy currents leading to a broadened slice profile [3]. The excitation of out-of-slice long  $T_2$  water and fat may significantly distort the exponential  $T_2^*$  decay curve, resulting in inaccurate  $T_2^*$  estimation [3,15].  $T_1$  measurement using the saturation recovery technique has been reported [1,2,12], however, the long quantification times may limit its clinical use [12]. UTE provides a non-invasive way of evaluating bone water concentration through comparison of the MR signal from bone with that of an external phantom [2,12], however, this estimation requires reliable, fast and patient-specific  $T_1$  and  $T_2^*$  measurements. Errors in these estimations propagate to bone water quantification.

In this paper the problems of qualitative visualization and quantification of cortical bone in the clinical context are addressed using different approaches including basic UTE sequences with TEs as low as 8  $\mu$ s, adiabatic IR prepared UTE sequences (IR-UTE), and saturation recovery UTE sequences.

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## 2. Materials and methods

### 2.1. Pulse sequence

A 2D UTE sequence (Fig. 1a) was implemented on a 3T Signa TwinSpeed scanner (GE Healthcare Technologies, Milwaukee, WI) with gradient capabilities of 150 T/m/s slew rate and 40 mT/m amplitude on each axis. The sequence employed a half-sinc RF pulse (duration = 472  $\mu$ s, bandwidth = 2.7 kHz), which together with variable rate selective excitation (VERSE) [17], radial ramp sampling and fast transmit/receive switching reduced the nominal TE to 8  $\mu$ s [18–20]. Bipolar slice selective gradients and readout gradients were employed to help control eddy currents. Eddy currents from the paired positive and negative gradients add destructively, reducing the effective eddy currents. The half RF pulse was applied during the second half of the bipolar slice selection gradient. No signal excitation occurs during the first half of the bipolar gradient, which only helps with eddy currents control. Bipolar readout gradients were used to reduce long term eddy currents effects which may influence the signal of the next TR. The basic 2D UTE sequence was then modified by adding an adiabatic inversion pulse for long  $T_2$  signal suppression, variable TE delays for  $T_2^*$  measurement, and a hard  $90^\circ$  pulse for  $T_1$  measurement. Bone water was quantified with the aid of an external reference phantom. The technical details for each approach are discussed below.

### 2.2. Long $T_2$ signal suppression

Cortical bone contains about 15–20% free water by volume [16], and has a mobile proton density far below those of muscle (~70%) and fat (~90%). This usually results in higher signals from these tissues. In qualitative studies it is of considerable value to suppress the high signals from long  $T_2$  water and fat in order to increase the conspicuity of bone. To do this an adiabatic fast passage (Silver-Hoult) inversion pulse (duration = 8.6 ms, bandwidth = 1.4 kHz) centered at  $-220$  Hz was used to invert the long  $T_2$  water and fat magnetization. The 2D UTE acquisition was then begun at a delay time (TI) designed to allow the inverted long  $T_2$  water and fat magnetization to closely approach the null point, as shown in Fig. 1b. This type of simultaneous reduction in long  $T_2$  water (such as muscle) and fat signals is complicated by the significant difference in  $T_1$  between muscle (~1400 ms) and fat (~360 ms) at 3T [21]. Because of this the inverted longitudinal magnetization of muscle and fat do not reach the null point simultaneously. To study this problem further simulation of the recovery of long  $T_2$  muscle and fat magnetization after a single adiabatic IR pulse was performed using the following equation:

$$M_{IR} \sim M_0 \times (1 - 2 \times e^{-TI/T_1} + e^{-TR/T_1}) \quad (1)$$

### 2.3. $T_2^*$ measurement

The  $T_2^*$  of cortical bone has been measured with UTE acquisitions at progressively increasing TEs [1,2,12]. However, the increase in TE results in different effects from time varying eddy currents, including alterations to the slice profile and different degrees of long  $T_2$  signal contamination [3]. As a result, significant errors in  $T_2^*$  quantification may be introduced [15]. Efficient long  $T_2$  signal suppression with adiabatic inversion and nulling may significantly reduce out-of-slice long  $T_2$  signal contamination of this type [18]. To assess this problem UTE and IR-UTE acquisitions with progressively increasing TEs were compared for measuring the  $T_2^*$  of the mid-diaphyseal tibia of a cadaveric lower leg specimen using the protocols shown in Table 1. Protocol I used basic UTE acquisitions (total scan time of 21 min), and protocol II used IR-UTE acquisitions with fewer projections (total scan time of 10 min). The single exponential signal decay model shown below was used to fit  $T_2^*$ :

$$S(TE) = S_0 \times e^{-TE/T_2^*} + C \quad (2)$$

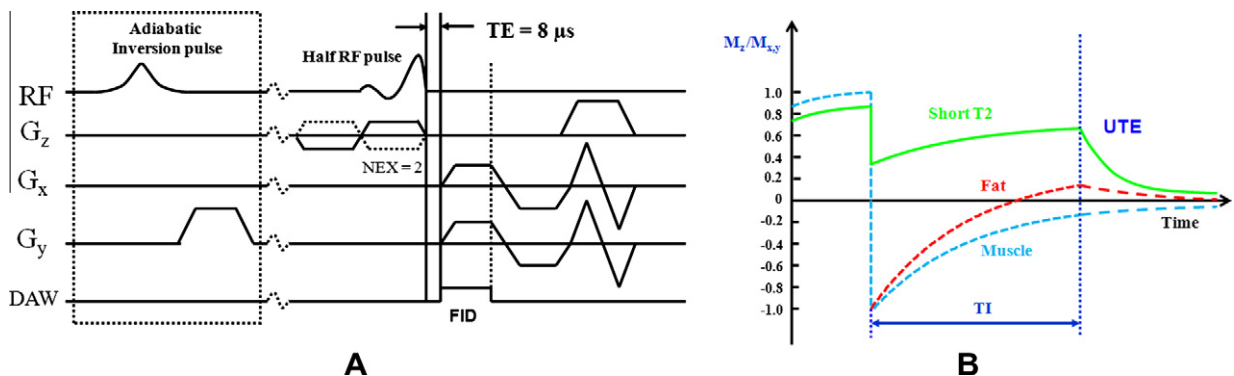
where  $C$  accounts for background noise, including pseudo-noise associated with undersampled UTE data acquisitions.

### 2.4. $T_1$ measurement

Quantification of  $T_1$  of cortical bone requires the use of UTE sequences because of the tissue's short  $T_2$ . Here a non-selective  $90^\circ$  square pulse with a duration of 256  $\mu$ s (which is limited by the RF system) was followed by a large crusher gradient to saturate signals from both long and short  $T_2$  species. UTE acquisitions with progressively increasing saturation recovery times (TSRs) were then used to detect the recovery of cortical bone longitudinal magnetization. Typically a long TR is used for saturation recovery UTE  $T_1$  quantification as shown in protocol I [12]. However, this approach is very time consuming and impractical for clinical applications. To reduce the total quantification time, a short TR together with a highly undersampled UTE acquisition was used as shown in protocol II. The two protocols were compared for  $T_1$  measurement of mid-diaphyseal tibia in a cadaveric lower leg specimen. The simple exponential signal recovery model shown below was used to fit  $T_1$  [8]:

$$S(TSR) = S_0 \times [1 - (1 - k) \times e^{-TSR/T_1}] + C \quad (3)$$

where  $k$  accounts for the residual fraction of the longitudinal magnetization of cortical bone after a nominal  $90^\circ$  pulse.



**Fig. 1.** The 2D UTE sequence. This employs half RF pulse excitations and radial ramp sampling to reduce the nominal TE to 8  $\mu$ s (A). Long  $T_2$  suppression is achieved with an adiabatic inversion pulse and approximate signal nulling. 2D UTE data acquisition starts when the inverted long  $T_2$  water and fat magnetization approaches the null point. This creates high contrast for cortical bone (B).

**Table 1**  
Protocols for measuring  $T_1$  and  $T_2^*$  of cortical bone.

Protocol I					Protocol II				
$T_1$ measurement			$T_2^*$ measurement		$T_1$ measurement			$T_2^*$ measurement	
TSR (ms)	TR (ms)	Readout $\times$ projection	TE ( $\mu$ s)	Readout $\times$ projection	TSR (ms)	TR (ms)	Readout $\times$ projection	TE ( $\mu$ s)	Readout $\times$ projection
10	1500	512 $\times$ 511	8	512 $\times$ 511	10	18	512 $\times$ 255	8	512 $\times$ 255
50	1500	512 $\times$ 511	200	512 $\times$ 511	50	58	512 $\times$ 255	200	512 $\times$ 255
100	1500	512 $\times$ 511	800	512 $\times$ 511	100	108	512 $\times$ 255	800	512 $\times$ 255
200	1500	512 $\times$ 511	1500	512 $\times$ 511	200	208	512 $\times$ 255	1500	512 $\times$ 255
400	1500	512 $\times$ 511	TR = 300 ms		400	408	512 $\times$ 255	TR = 300 ms	
800	1500	512 $\times$ 511			800	808	512 $\times$ 255	TI = 120 ms	
Scan time: 154 min					Scan time: 21 min				
					San time: 14 min				
					Scan time: 10 min				

## 2.5. Bone water measurement

Accurate estimation of bone water requires consideration of relaxation, coil sensitivity and slice profile effects. When the duration of half RF pulses is of the order of  $T_2^*$ , the transverse magnetization for a steady-state UTE acquisition can be written as [2,8]:

$$\mu_{xy} \propto f_{xy}(b_1(t), T_1, T_2^*) \times \frac{(1 - e^{-TR/T_1})}{(1 - f_z(b_1(t), T_1, T_2^*) \times e^{-TR/T_1})} \times e^{-TE/T_2^*} \quad (4)$$

where  $f_{xy}$  and  $f_z$  describe the behavior of the transverse magnetization and longitudinal magnetization, respectively, as a function of half pulse  $b_1(t)$  as well as the transverse ( $T_2^*$ ) and longitudinal ( $T_1$ ) relaxation times of cortical bone.

The bone water concentration (BWC) can be calculated as follows:

$$\text{BWC} = \frac{I_{bone}}{I_{ref}} \times \frac{f_{xy}^{ref}}{f_{xy}^{bone}} \times \frac{(1 - e^{-TR/T_{1,ref}})}{(1 - e^{-TR/T_{1,bone}})} \times \frac{(1 - f_z^{bone} \times e^{-TR/T_{1,bone}})}{(1 - f_z^{ref} \times e^{-TR/T_{1,ref}})} \times \frac{e^{-TE/T_{2,ref}}}{e^{-TE/T_{2,bone}}} \times \frac{\eta_{ref}}{\eta_{bone}} \times \frac{\Gamma_{ref}}{\Gamma_{bone}} \times \text{RWC} \quad (5)$$

where RWC is the water concentration of reference phantom,  $I_{bone}$  and  $I_{ref}$  are the corresponding image intensities,  $\eta_{bone}$  and  $\eta_{ref}$  are the corresponding coil sensitivities, and  $\Gamma_{bone}$  and  $\Gamma_{ref}$  are correction factors for out-of-slice excitation.

The external reference was a mixture of distilled water (20%) and  $D_2O$  (80%) doped with 22 mM  $MnCl_2$  [12]. The high concentration of  $MnCl_2$  reduced  $T_2^*$  to around 400  $\mu$ s and  $T_1$  to around 5 ms. A quadrature knee birdcage coil was used for bone water quantification due to its superior uniformity compared with most surface or phased-array coils. The reference tube was placed close to the mid-shaft of the tibia, with both close to the coil iso-center. As a result  $\eta_{bone}$  approximates  $\eta_{ref}$ . If we ignore the difference in out-of-slice signal contamination for cortical bone and the reference phantom (i.e.,  $\Gamma_{bone}$  approximates  $\Gamma_{ref}$ ), and note that TR is much longer than  $T_{1,ref}$  and that TE is much shorter than  $T_{2,ref}^*$  and  $T_{2,bone}^*$ , Eq. (6) for bone water concentration can be simplified as follows:

$$\text{BWC}_{UTE} \approx \frac{I_{bone}}{I_{ref}} \times \frac{f_{xy}^{ref}}{f_{xy}^{bone}} \times \frac{(1 - e^{-TR/T_{1,ref}})}{(1 - e^{-TR/T_{1,bone}})} \times \frac{(1 - f_z^{bone} \times e^{-TR/T_{1,bone}})}{(1 - f_z^{ref} \times e^{-TR/T_{1,ref}})} \times \frac{e^{-TE/T_{2,ref}}}{e^{-TE/T_{2,bone}}} \times \text{RWC} \approx \frac{I_{bone}}{I_{ref}} \times \frac{(1 - f_z^{bone} \times e^{-TR/T_{1,bone}})}{(1 - e^{-TR/T_{1,bone}})} \times \text{RWC} \quad (6)$$

However, out-of-slice signals from muscle and fat may be included and artifactually increase the measured bone water concentration. In this study we employed an adiabatic IR pulse to suppress signals from muscle and fat. As a result,  $\Gamma_{bone}$  approximated  $\Gamma_{ref}$ . Assuming that the bone signal is attenuated by a factor of  $P$ , and introducing  $Q = 1 - P$ , we can calculate bone water using the following equation (details in Appendix A):

$$\text{BWC}_{IR-UTE} \approx \frac{I_{bone}}{I_{ref}} \times \frac{1 - Q_{bone} \times f_z \times e^{-TR/T_{1,bone}}}{1 + (Q_{bone} - 1) \times e^{-TI/T_{1,bone}} - Q_{bone} \times e^{-TR/T_{1,bone}}} \times \text{RWC} \quad (7)$$

$Q$  is a function of  $T_1$  and  $T_2^*$ . It can be derived from Bloch equation simulation once the  $T_1$  and  $T_2^*$  of cortical bone have been measured [14].

## 3. Imaging experiments

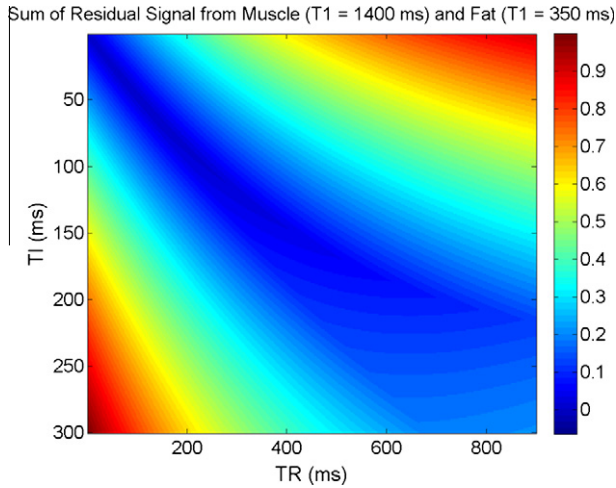
### 3.1. Cadaveric specimen study

The IR-UTE sequence was first applied to the mid-diaphyseal tibia of a human lower leg specimen (with soft tissue intact) for bone contrast optimization. The following imaging parameters were used: FOV = 10 cm, slice thickness = 6 mm, bandwidth = 125 kHz, flip angle = 60°, TR = 300 ms, TE = 8/4400  $\mu$ s (the second echo was acquired to show the effect of long  $T_2$  signal suppression), reconstruction matrix size = 512  $\times$  512, number of half projections = 899, single slice, four dummy scans to establish equilibrium, total scan time = 9 min. Five different TIs (80, 100, 120, 140 and 160 ms) were used. The optimal TR/TI combination was then used to image the mid-diaphyseal radius and ulna of a cadaveric forearm specimen. Clinical 2D gradient echo (GE) and fast spin echo (FSE) sequences with similar spatial resolution were used for comparison.  $T_1$  and  $T_2^*$  quantification were performed on the tibial specimen using the two protocols shown in Table 1. A 3-in. surface coil (receive only) was used for imaging the tibial cortical specimen (the body coil was used for signal excitation). A birdcage transmit/receive coil was used for imaging the radial and ulna cortical specimen.

### 3.2. In vivo volunteer study

The 2D UTE sequences were also used to image and quantify  $T_2^*$ ,  $T_1$  and water concentration of the mid-diaphyseal tibia in five healthy volunteers (all males, ranging in age from 24 to 35 years, average age of 29). Written informed consent approved by our Institutional Review Board was obtained prior to their participation in this study. Imaging parameters were similar to those used in the cadaveric study, except for a larger FOV of 12 cm, fewer projections (number of projections = 511) and shorter scan time (5 min as compared to 9 min). The fast protocol II shown in Table 1 was used for  $T_2^*$  and  $T_1$  measurements. The 3-in. coil was used for bone morphological imaging as well as  $T_2^*$  and  $T_1$  quantification. The quadrature knee transmit/receive coil was used for bone water quantification, with the FOV increased to 21 cm, readout reduced to 256 samples and sampling frequency bandwidth increased to  $\pm 125$  kHz. Clinical 2D GE and FSE sequences with similar spatial resolution were performed for comparison.





**Fig. 2.** Simulation of the sum of residual signals from muscle ( $T_1 = 1400$  ms) and fat ( $T_1 = 350$  ms) as a function of inversion time (TI) and repetition time (TR). Appropriate combinations of TR and TI provide greater than 85% long  $T_2$  muscle and fat signal suppression.

3.3. Data analysis

Signal-to-noise ratios (SNRs) and contrast-to-noise ratios (CNRs) were used to evaluate the efficiency of the UTE sequences. SNRs were calculated as the ratio of the mean signal intensity inside a user-drawn region of interest (ROI) to the standard deviation of the background noise. CNRs between cortical bone and muscle and fat were calculated as their signal difference over the background noise.  $T_2^*$  and  $T_1$  values were obtained using a Levenberg–Marquardt fitting algorithm based on Eqs. (2) and (3). Bone water concentration was quantified based on Eq. (7) for UTE and Eq. (8) for IR-UTE acquisitions. Five different ROIs placed within the tibial cortex were used to determine the standard deviation of measurements.

4. Results

4.1. Simulation

The efficiency of simultaneous suppression of fat and muscle depends on the choice of TR and TI in IR-UTE imaging, as

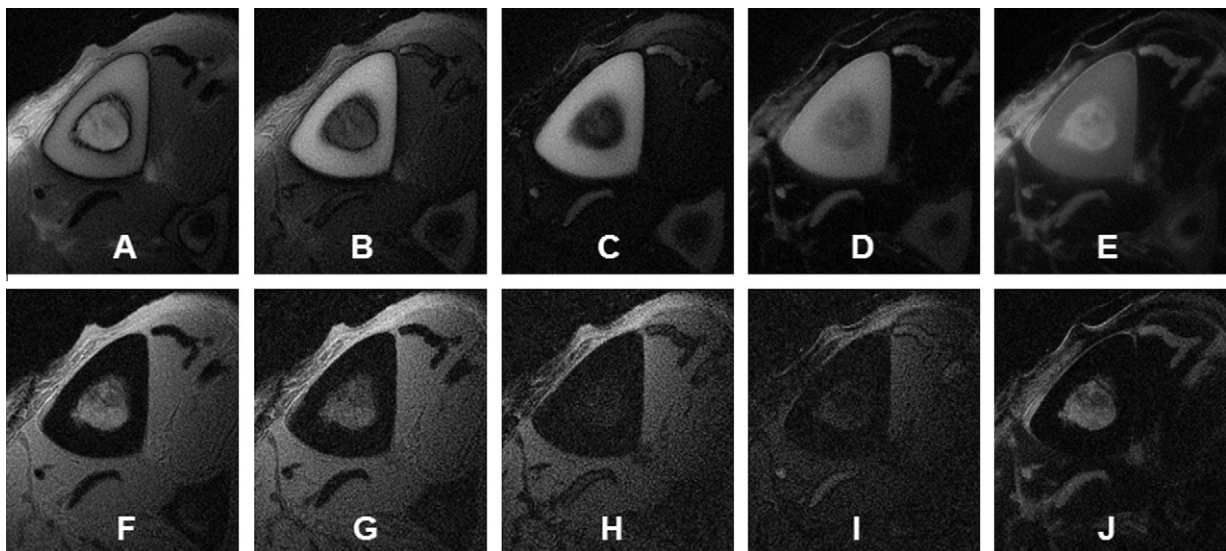
demonstrated in Fig. 2. The sum of the residual signals from muscle and fat can be reduced by more than 85% through appropriate combinations of TR and TI. The short  $T_2$  magnetization is also affected by the adiabatic IR pulse. Bloch equation simulation showed that the adiabatic IR pulse resulted in about 55% signal reduction for cortical bone ( $T_1 \sim 220$  ms,  $T_2^* \sim 400$   $\mu$ s) with a TR of 300 ms and TI of 120 ms, showing that the adiabatic IR-UTE approach is a low signal but high contrast technique. Bloch equation simulation also showed a value of around 0.67 for  $f_z$  and 0.11 for  $Q$  which were used for subsequent calculations of bone water concentration.

4.2. Cadaveric specimen study

Axial 2D IR-UTE images of the mid-diaphyseal tibia are shown in Fig. 3, which demonstrates that the effectiveness of long  $T_2$  suppression depends on the choice of TR and TI. Table 2 shows measured SNRs as well as CNRs between bone and fat ( $CNR_{B,F}$ ) and CNRs between bone and muscle ( $CNR_{B,M}$ ) for different TR and TI combinations. SNR values ranging from 24 to 35 and  $CNR_{B,M}$  ranging from 17 to 29 were achieved with TIs ranging from 80 to 160 ms.  $CNR_{B,F}$  was high for TIs in the range of 100 to 140 ms with a peak at 120 ms. A TR of 300 ms and TI of 120 ms were used for subsequent studies.

Transverse images of the radius and ulna from a cadaveric forearm are displayed in Fig. 4. The clinical 2D FSE image (Fig. 4A) provides near zero signal from the radius, ulna and tendons. In contrast, the 2D IR-UTE image (Fig. 4B) provided a high SNR of  $44 \pm 4$  for cortical bone, a high CNR of  $36 \pm 2$  between bone and muscle, and a high CNR of  $28 \pm 2$  between bone and marrow fat with a nominal spatial resolution of  $0.2 \times 0.2 \times 6$  mm<sup>3</sup> and a total scan time of 9 min.

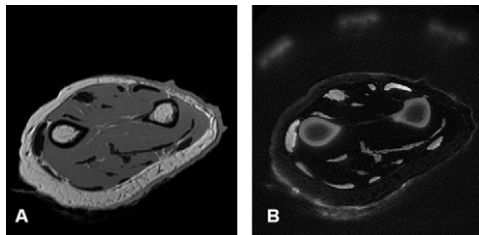
Fig. 5 shows quantitative evaluation of  $T_2^*$  and  $T_1$  for the mid-diaphyseal tibia of a cadaveric lower leg specimen. There was significant distortion in the exponential  $T_2^*$  curve using regular UTE acquisitions, where a  $T_2^*$  of  $1116 \pm 643$   $\mu$ s was found with high standard error and low fitting confidence ( $R^2 = 0.919$ ). In contrast, the IR-UTE approach provided excellent exponential curve fitting, with a  $T_2^*$  of  $422 \pm 13$   $\mu$ s ( $R^2 = 0.999$ ). There was a small difference in  $T_1$  quantification of less than 5% between saturation recovery UTE acquisitions with a long TR and those with a short TR. The total scan time was reduced by more than



**Fig. 3.** Images of a mid-diaphyseal tibia specimen acquired with the IR-UTE sequence with a TR of 300 ms, TEs of 8  $\mu$ s (1st row) and 4.4 ms (2nd row), and TI of 80 ms (A and F), 100 ms (B and G), 120 ms (C and H), 140 ms (D and I) and 160 ms (E and J). The second echo image selectively depicts the residual signals from long  $T_2$  water and fat, reflecting long  $T_2$  signal suppression effectiveness.

**Table 2**  
Quantitative measurements of SNR for the mid-diaphyseal tibia in cadaveric specimens, CNR between bone and fat ( $CNR_{B,F}$ ), and CNR between bone and muscle ( $CNR_{B,M}$ ) for five different TR and TI combinations.

	TR = 300 ms, TI = 80 ms	TR = 300 ms, TI = 100 ms	TR = 300 ms, TI = 120 ms	TR = 300 ms, TI = 140 ms	TR = 300 ms, TI = 160 ms
SNR <sub>B</sub>	24.21 ± 3.51	27.95 ± 3.68	29.52 ± 3.75	31.75 ± 3.64	34.90 ± 3.88
CNR <sub>B,F</sub>	2.73 ± 0.34	18.46 ± 2.94	21.98 ± 3.15	11.92 ± 2.21	-10.68 ± 1.93
CNR <sub>B,M</sub>	16.51 ± 2.18	22.37 ± 3.13	26.31 ± 3.46	29.41 ± 3.37	24.08 ± 3.59



**Fig. 4.** A cadaveric forearm imaged with a clinical 2D FSE sequence (A) and an IR-UTE sequence (B). The 2D FSE sequence shows near zero signal for bone and tendon. These are depicted with high spatial resolution and contrast with the 2D IR-UTE sequence.

10-fold using the latter approach. These results suggest that fast and reliable estimations of  $T_1$  and  $T_2^*$  of cortical bone can be achieved using protocol II.

#### 4.3. In vivo volunteer study

Oblique axial images of the mid-diaphyseal tibia from four healthy volunteers are displayed in Fig. 6. For the first volunteer the IR-UTE image (Fig. 6C) was compared with 2D GE (Fig. 6A) and regular UTE images (Fig. 6B). The 2D GE sequence provides near zero signal for cortical bone. The 2D UTE sequence provides high signal for cortical bone with a SNR of  $46 \pm 5$ . However, there was little specific bone contrast due to the much higher signal from the surrounding muscle and marrow fat, resulting in a  $CNR_{B,M}$  of  $-65 \pm 12$  and  $CNR_{B,F}$  of  $-110 \pm 11$ . The IR-UTE sequence provides a lower SNR of  $30 \pm 4$ , but much higher  $CNR_{B,M}$  ( $27 \pm 3$ ) and  $CNR_{B,F}$  ( $19 \pm 3$ ). The adiabatic IR pulse reduced bone signal by around 60%, roughly consistent with the Bloch equation simulation. However, it also reduced the background noise by around 40%, probably due to efficient suppression of signals from muscle and fat, therefore reducing pseudo-noise due to undersampling in the UTE data

acquisition. As a result, the adiabatic IR pulse reduced bone SNR by 35% but increased CNR markedly.

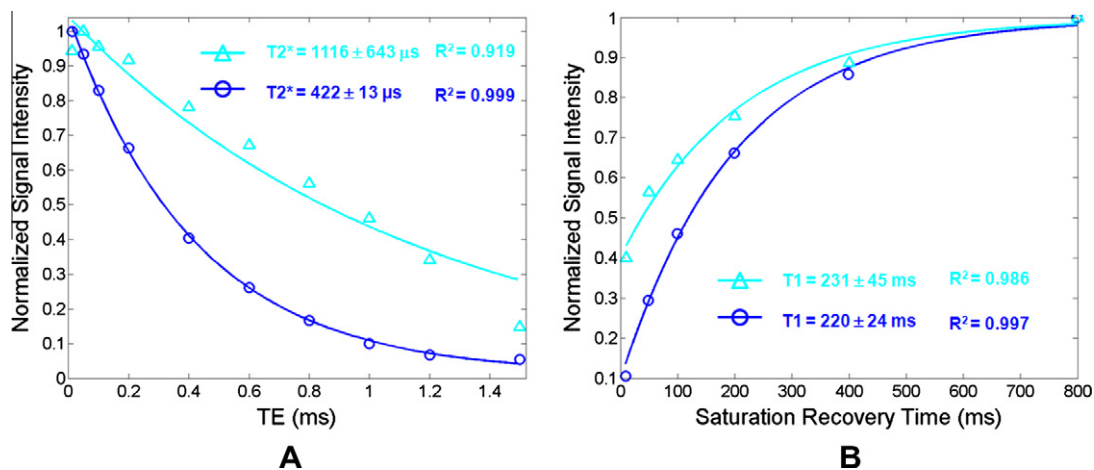
Protocol II was used to measure  $T_2^*$  and  $T_1$  for the mid-diaphyseal tibia of healthy volunteers. Fig. 7 shows typical IR-UTE images at different TEs. A short  $T_2^*$  of  $408 \pm 15 \mu s$  was found through a single exponential component curve fitting which accounted for 99.99% of the signal variance. The exponential  $T_2^*$  decay curve was barely affected by out-of-slice signal contamination, therefore increasing the accuracy and confidence in  $T_2^*$  quantification. Fig. 8 shows saturation recovery UTE imaging of the same volunteer. A short  $T_1$  of  $231 \pm 17$  ms was demonstrated by single exponential component curve fitting which accounted for 99.73% of the signal variance.

Fig. 9 shows results from bone water estimation using UTE and IR-UTE sequences. A water concentration of  $22.2 \pm 2.7\%$  was found using regular 2D UTE imaging with bone appearing dark due to the high signal from the surrounding long  $T_2$  muscle and fat. A slightly lower bone water concentration of  $21.0 \pm 2.3\%$  was demonstrated using the 2D IR-UTE sequence with bone appearing bright after efficient reduction of long  $T_2$  muscle and fat signals. The water concentration measured with the IR-UTE sequence was about 5.4% lower than that measured with the UTE sequence.

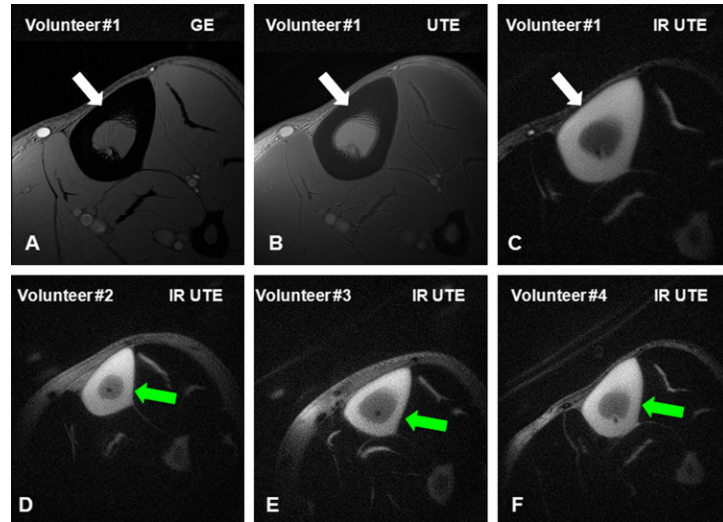
Table 3 lists the quantification of  $T_1$ ,  $T_2^*$  and bone water concentration in the five healthy volunteers. The results show a mean  $T_1$  of  $223 \pm 11$  ms, a mean  $T_2^*$  of  $390 \pm 19 \mu s$  and a mean water concentration of  $23.3 \pm 1.6\%$  assessed with UTE, and  $21.7 \pm 1.3\%$  assessed with IR-UTE for the tibial cortex mid-shaft.

## 5. Discussion

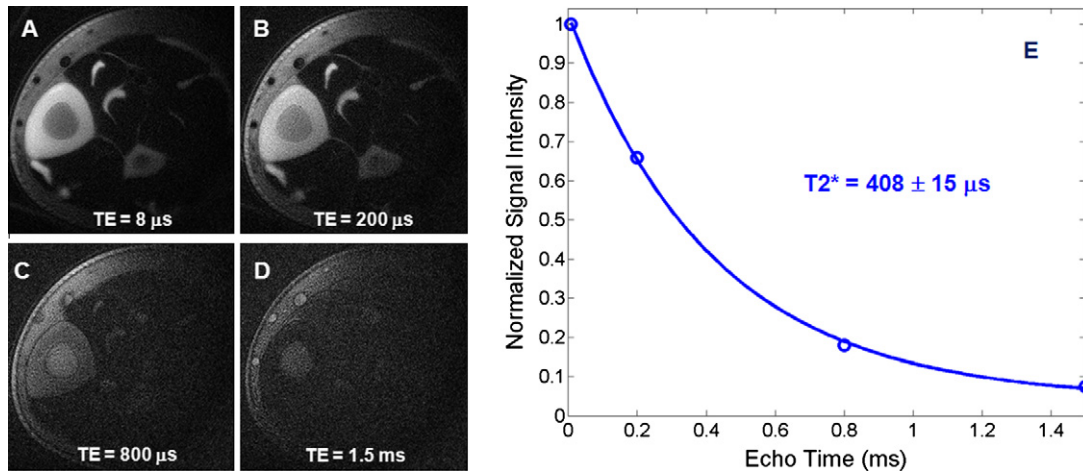
It has been shown that the 2D UTE sequence combined with a long adiabatic IR preparation pulse can provide excellent qualitative depiction of cortical bone in vitro and in vivo using a clinical 3T scanner. The adiabatic IR pulse centered at  $-220$  Hz has sufficient bandwidth to cover the water peak as well as the multiple



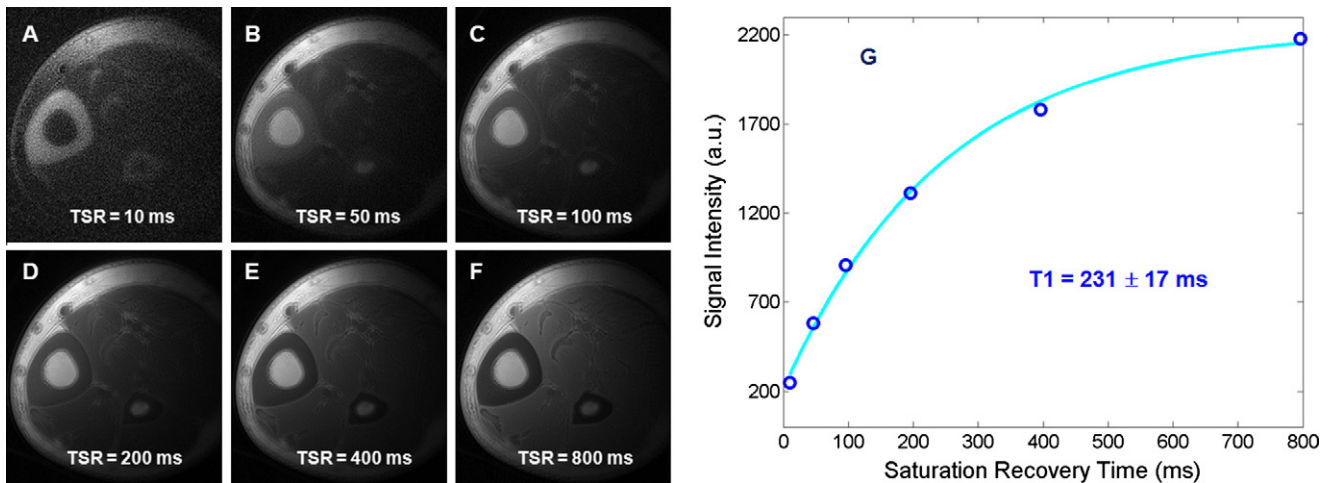
**Fig. 5.** Single component exponential decay curve fitting of  $T_2^*$  (A) and  $T_1$  (B) for tibial cortical bone. This shows a short  $T_2^*$  of  $1116 \pm 643 \mu s$  ( $R^2 = 0.919$ ) for tibia measured with UTE sequence and  $422 \pm 13 \mu s$  ( $R^2 = 0.999$ ) measured with IR-UTE sequence, respectively (A). There is significant distortion and reduced confidence level in  $T_2^*$  fitting using the basic UTE sequence. Single component exponential recovery curve fitting shows a similar  $T_1$  of  $209 \pm 52$  ms and  $200 \pm 24$  ms for the mid-diaphyseal tibia measured with saturation recovery UTE acquisitions with long and short TRs, respectively (B).



**Fig. 6.** The comparison of GE, UTE and IR-UTE sequences for imaging the tibia in human volunteers. Clinical GE sequence shows pure signal void for the mid-diaphyseal tibia (arrow) (A). This is also low signal with UTE due to the high signal from the surrounding long  $T_2$  muscle and fat (arrow) (B). The IR-UTE sequence shows consistent high contrast images for cortical bone of four healthy volunteers (C–F). Long  $T_2$  muscle and fat signals were efficiently suppressed through adiabatic inversion and approximate signal nulling.

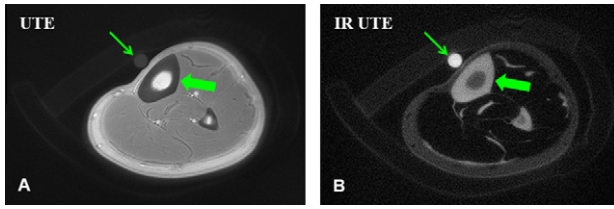


**Fig. 7.** IR-UTE imaging of the mid-diaphyseal tibia of a 31 year old healthy volunteer with a TE delays of 8  $\mu$ s (A), 200  $\mu$ s (B), 800  $\mu$ s (C), and 1.5 ms (D). Mono-exponential fitting from a small ROI drawn in cortical bone demonstrates a short  $T_2^*$  of  $408 \pm 16 \mu$ s for this volunteer.



**Fig. 8.** Saturation recovery UTE imaging of the tibia of a 31 year old healthy volunteer with a TSRs of 10 ms (A), 50 ms (B), 100 ms (C), 200 ms (D), 400 ms (E) and 800 ms (F). Mono-exponential fitting from a small ROI drawn in cortical bone shows a short  $T_1$  of  $231 \pm 17$  ms (G).





**Fig. 9.** Bone water concentration estimated by comparison of signal intensity of bone (thick arrows) to that of a water calibration phantom (thin arrows) using UTE (A) and IR-UTE (B) sequences. These gave water concentrations of  $22.2 \pm 2.7\%$  and  $21.0 \pm 2.3\%$ , respectively.

**Table 3**

Quantitative measurements of  $T_1$ ,  $T_2^*$  and bone water content of mid-diaphyseal tibia in five healthy volunteers.

Subject	Age	$T_1$ (ms)	$T_2^*$ ( $\mu$ s)	Bone water without IR (% volume)	Bone water with IR (% volume)
1	26	$223 \pm 22$	$376 \pm 14$	$22.2 \pm 2.7$	$21.0 \pm 2.1$
2	31	$231 \pm 17$	$408 \pm 15$	$24.5 \pm 2.9$	$22.6 \pm 2.9$
3	30	$233 \pm 18$	$412 \pm 9$	$25.0 \pm 3.3$	$23.3 \pm 3.1$
4	35	$221 \pm 21$	$387 \pm 12$	$23.4 \pm 2.8$	$21.7 \pm 2.5$
5	24	$216 \pm 20$	$369 \pm 15$	$21.2 \pm 2.4$	$20.1 \pm 2.0$

fat peaks in the spectral domain, and so provide uniform inversion of the long  $T_2$  water and fat magnetization. Although only species with a specific  $T_1$  can precisely reach the null point for each TR and TI combination, there are relatively broad ranges of TR and TI combinations which provide useful simultaneous signal reduction for both muscle and fat, as demonstrated in Figs. 2 and 3. The IR-UTE technique is robust, and provides high contrast bone images with little evidence of artifact from B1 and B0 inhomogeneities or susceptibility.

Fast and robust measurements of  $T_2^*$  and  $T_1$  of cortical bone rely on the following factors. Firstly, an ultrashort nominal TE of 8  $\mu$ s allows early points in the exponential curve to be sampled. This is especially important for cortical bone with its very short  $T_2^*$ . Secondly, the adiabatic IR pulse can robustly suppress long  $T_2$  water and fat signals, and so minimize out-of-slice signal contamination as well as pseudo-noise associated with undersampled UTE acquisitions. This enhances the robustness of the  $T_2^*$  quantification technique (Figs. 5A and 7E). Thirdly, using a short TR as shown in protocol II, instead of the long TR shown in protocol I, the measurement time can be greatly reduced while maintaining reasonable agreement in  $T_1$  quantification (Fig. 5B). Fourthly, undersampling can significantly reduce the total scan time with little effect on quantification, as demonstrated by the single component curve fitting shown in Figs. 5, 7 and 8.

Water occurs at various locations and in different states in cortical bone. It is associated with the mineral phase imbedded in the crystals of the apatite-like mineral [22] as well as the organic matrix, and is present in free form (bulk water) [16,22]. Measurement of bone water concentration may provide information on mineralization density and/or porosity. For example, Techawiboonwong et al. have compared the signal from bone and a water phantom to quantify bone water concentration as a new metric of bone quality in human cortical bone in vivo [6,12]. Cao et al. have also compared the signal from bone with a polymer calibration phantom, and found that the MR signal could be used to obtain true bone matrix mass density [23].

Our preliminary study shows a mean water concentration of  $23.3 \pm 1.6\%$  assessed with the UTE sequence and  $21.7 \pm 1.3\%$  assessed with the IR-UTE sequence for tibia of young volunteers. These values are broadly consistent with reported bulk water

concentrations in cortical bone [6,12,24,25]. Precise agreement is unlikely due to the following factors: (i) out-of-slice long  $T_2$  muscle and fat contamination may overestimate bone water concentration with UTE imaging. (ii) The  $T_1$  and  $T_2^*$  relaxation times of bone water may have a broad spectrum of values [24,25]. Water in smaller pores and that closer to pore surfaces may have shorter  $T_1/T_2^*$  values due to surface relaxation mechanisms [26,27]. The single-component model used in  $T_1$  and  $T_2^*$  fitting is only an approximation, and may result in errors in bone water estimation. Multi-component bone water quantification is much more complicated and is beyond the scope of this paper. (iii) The IR-UTE sequence may suppress the longer  $T_2$  water components more than the shorter  $T_2$  water components, resulting in an underestimation of  $T_2^*$  and increased errors in bone water quantification. However, the signal oscillation at early TEs in the  $T_2^*$  decay curve (Fig. 5A) without long  $T_2$  signal suppression is probably due to out-of-slice long  $T_2$  signal contamination. Lipids found in the cement line spaces may also contribute to this signal oscillation [30,31].

The effective TE in UTE imaging may be longer than the nominal TE due to radial ramp sampling, which is also likely to increase bone blurring [5]. Techniques such as sweep imaging with Fourier Transformation (SWIFT) and water- and fat-suppressed proton projection MRI (WASPI) may reduce bone blurring [9,28]. Another limitation of this study is that a single adiabatic IR pulse with relatively broad spectral bandwidth of 1.4 kHz was used. Adiabatic IR pulses with narrower spectral bandwidths are expected to reduce short  $T_2$  signal attenuation [14], at the cost of increased sensitivity to field inhomogeneity and susceptibility effects. Another option is to use two adiabatic inversion pulses each with a much narrower spectral bandwidth to selectively invert and null long  $T_2$  water and fat magnetization, respectively [29]. Furthermore, it is still not entirely clear whether bulk water, bound water, or both contribute to the signal detected by the UTE sequences. UTE imaging of bone samples after sequential dehydration, or sequential loss of bulk water and bound water [25], may provide such information and will be investigated in the future.

## 6. Conclusion

The 2D IR-UTE sequence is able to depict cortical bone with high spatial resolution, SNR and CNR on a clinical 3T scanner. Quantitative evaluation of  $T_2^*$ ,  $T_1$  and water concentration can be achieved in clinically acceptable scan times through appropriate combinations of UTE acquisition, long  $T_2$  suppression, and projection undersampling strategies.

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## Appendix A

With IR-UTE imaging, the short  $T_2$  magnetization is partially inverted by the long adiabatic inversion pulse, and then partly excited by the half RF pulse [14,32]. The longitudinal magnetization  $\mu_z(T_2)$  after the adiabatic IR pulse, neglecting  $T_1$ , will be approximately [14]:

$$\begin{aligned} \mu_z(T_2) &\approx \mu_0 \times (1 - T_2 \times \int_{-\infty}^{\infty} \omega_1(t)^2 dt) \\ &\approx \mu_0 \times (1 - T_2 \times \int_{-\infty}^{\infty} |\Omega_1(f)|^2 df) \\ &= \mu_0 \times (1 - P) = \mu_0 \times Q \end{aligned} \quad (A1)$$

Here  $P$  is the attenuation factor due to long adiabatic IR pulse.

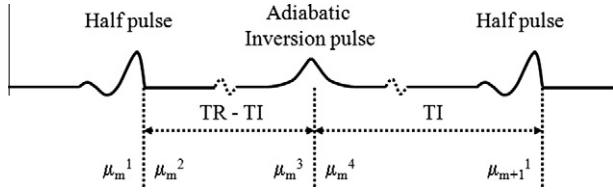


Fig. 10. Steady state magnetization of cortical bone with the IR-UTE sequence.

In order to obtain the steady state magnetization we introduced short  $T_2$  magnetization at different stages of the IR-UTE pulse train (Fig. 10), namely before the half RF pulse ( $\mu_m^1$ ), after the half RF pulse ( $\mu_m^2$ ), before the adiabatic IR pulse ( $\mu_m^3$ ), after the adiabatic IR pulse ( $\mu_m^4$ ), and before the next half RF pulse ( $\mu_{m+1}^1$ ). Assuming a mapping matrix of  $f_z$  for the longitudinal magnetization and  $f_{xy}$  for the transverse magnetization, we obtain the following equations:

$$\mu_m^2 = \mu_m^1 \times f_z \quad (A2)$$

$$\mu_m^3 = \mu_0 + (\mu_m^2 - \mu_0) \times e^{-(TR-TI)/T_1} \quad (A3)$$

$$\mu_m^4 = Q \times \mu_m^3 = Q \times [\mu_0 + (\mu_m^2 - \mu_0) \times e^{-(TR-TI)/T_1}] \quad (A4)$$

$$\mu_{m+1}^1 = \mu_0 + [\mu_m^4 - \mu_0] \times e^{-TI/T_1} = \mu_{ss} \quad (A5)$$

At steady state,  $\mu_{m+1}^1 = \mu_{ss}$ . Therefore we can obtain the following equation:

$$\begin{aligned} \mu_{ss} &= \mu_0 + \{Q \times [\mu_0 + (\mu_{ss} \times f_z - \mu_0) \times e^{-(TR-TI)/T_1}] - \mu_0\} \times e^{-TI/T_1} \\ &= \mu_0 + Q \times \mu_0 \times e^{-TI/T_1} + Q \times \mu_{ss} \times f_z \times e^{-TR/T_1} - Q \times \mu_0 \times e^{-TR/T_1} - \mu_0 \times e^{-TI/T_1} \end{aligned} \quad (A6)$$

As a result,  $\mu_{ss}$  can be calculated as follows:

$$\mu_{ss} = \frac{\mu_0 \times [1 + (Q - 1) \times e^{-TI/T_1} - Q \times e^{-TR/T_1}]}{1 - Q \times f_z \times e^{-TR/T_1}} \quad (A7)$$

The mapping matrices  $f_z$  and  $f_{xy}$  are related to the half pulse profile and  $T_2^*$ . For slice selective half pulses,  $f_z$  and  $f_{xy}$  can be calculated by Bloch equation simulation. Since the reference water phantom and cortical bone have similar  $T_2^*$  values and  $T_1$  effects can be ignored during half pulse excitation, it is reasonable to assume  $f_{xy,bone} \approx f_{xy,ref}$  and  $f_{z,bone} \approx f_{z,ref} = f_z$ . The reference water phantom has a very short  $T_1$ . We can then calculate bone water concentration as follows:

$$\begin{aligned} BWC_{IR-UTE} &\approx \frac{\mu_{ss}^{bone} \times f_{xy}^{bone}}{\mu_{ss}^{ref} \times f_{xy}^{ref}} \times RWC \\ &\approx \frac{I_{bone}}{I_{ref}} \times \frac{1 + (Q_{ref} - 1) \times e^{-TI/T_{1,ref}} - Q_{ref} \times e^{-TR/T_{1,ref}}}{1 + (Q_{bone} - 1) \times e^{-TI/T_{1,bone}} - Q_{bone} \times e^{-TR/T_{1,bone}}} \\ &\quad \times \frac{1 - Q_{bone} \times f_z \times e^{-TR/T_{1,bone}}}{1 - Q_{ref} \times f_z \times e^{-TR/T_{1,ref}}} \times RWC \\ &\approx \frac{I_{bone}}{I_{ref}} \times \frac{1 - Q_{bone} \times f_z \times e^{-TR/T_{1,bone}}}{1 + (Q_{bone} - 1) \times e^{-TI/T_{1,bone}} - Q_{bone} \times e^{-TR/T_{1,bone}}} \times RWC \end{aligned} \quad (A8)$$

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